## LINDGRENITE, A NEW MINERAL

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## Summary

Lindgrenite is monoclinic, holohedral. $a: b: c=0.5941: 1: 0.5124 ; \beta=92^{\circ} 12^{\prime}$. The crystals are green and transparent, tabular parallel to (010), which is a perfect cleavage. Unit cell: $a_{0}=8.45, b_{0}=14.03, c_{0}=7.04 ; \beta=922_{2}^{\circ}$; containing $\mathrm{Cu}_{12}\left(\mathrm{MoO}_{4}\right)$ $\mathrm{H}_{8} \mathrm{O}_{8} . \mathrm{H}=4 \frac{1}{2} . \mathrm{G}=4.26$. Biaxial negative; $z=b ; X: c=7^{\circ}$ in the acute angle $\beta . \alpha=1.930$, $\beta=2.002, \gamma=2.020 ; 2 \mathrm{~V}=71^{\circ} ; r>v$. Analysis: $\mathrm{CuO} 40.62, \mathrm{MoO}_{3} 50.97, \mathrm{H}_{2} \mathrm{O} 3.30$, $\mathrm{Fe}_{2} \mathrm{O}_{3} 1.43$, Insol. 3.34; Sum 99.66; giving $2 \mathrm{CuMoO}_{4} . \mathrm{Cu}(\mathrm{OH})_{2}$. Soluble in HCl and in $\mathrm{HNO}_{3}$. Occurs in veinlets in limonitic quartz from Chuquicamata, Chile. Named in honor of Professor Waldemar Lindgren.

The mineral described in this paper was found in a collection of ore specimens made from the oxidized zone of the great copper deposit of Chuquicamata, Chile, by Mr. M. C. Bandy, who brought them to the Harvard Mineralogical Laboratory for study. There are two specimens only in the collection: one, massive platy material interspersed in a mass of hematite; the other, a vein in limonitic quartz with many crystal-lined cavities. The crystals are in the

Table 1
Lindgrenite. Two-Circle Measurements

| Forms | $\begin{gathered} \text { Crys- } \\ \text { tals } \end{gathered}$ | Faces | Mean |  | Range |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | $\phi$ | $\rho$ | $\phi$ | $\rho$ | Quality |
| c 001 | 8 | 8 | $90^{\circ} 00^{\prime}$ | $2^{\circ} 15^{\prime}$ | - | $2^{\circ} 09^{\prime}-2^{\circ} 18^{\prime}$ | Fair |
| $b 010$ | 14 | 28 | 000 | 9000 | - | - | Good |
| a 100 | 14 | 28 | 9000 | 9000 | - | - | Excellent |
| $k \quad 120$ | 1 | 1 | 4032 | 9000 | - | - | Poor |
| $m 110$ | 3 | 4 | 5918 | 9000 | $58^{\circ} 41^{\prime}-60^{\circ} 19^{\prime}$ | - | Fair |
| n 210 | 3 | 4 | 7307 | 9000 | $7239-7339$ | - | Fair |
| $h 012$ | 3 | 5 | 824 | 1439 | $756-931$ | $14^{\circ} 20^{\prime}-14^{\circ} 49^{\prime}$ | Poor |
| e $\overline{1} 01$ | 1 | 2 | $-9028$ | 3931 | 90 00-90 28 | $3930-3931$ | Poor |
| p 111 | 1 | 2 | 6003 | 4614 | 59 57-60 09 | - | Very poor |
| $q \quad \overline{1} 13$ | 3 | 5 | -56 05 | 1657 | -55 32-56 37 | $1645-1715$ | Poor |
| o 111 | 4 | 6 | -58 09 | 4411 | $5758-5818$ | 44 04-44 14 | Fair |
| r 121 | 12 | 22 | 4118 | $5347 \frac{1}{2}$ | $4108-4128$ | $5331-5358$ | Excellent |
| $s \quad \overline{121}$ | 1 | 2 | -38 42 | 5251 | 38 37-38 46 | 52 48-52 54 | Poor |
| $t \quad \overline{1} 31$ | 9 | 15 | -28 13 $\frac{1}{2}$ | 6010 | $2807-2823$ | $5958-6021$ | Excellent |

Table 2
Lindgrenite. Angle-Table
Monoclinic, holohedral.

$$
\begin{aligned}
& a: b: c=0.5941: 1: 0.5124 ; \beta=92^{\circ} 12^{\prime} \\
& p_{0}: q_{0}: r_{0}=0.8625: 0.5120: 1 ; \mu=87^{\circ} 48^{\prime} \\
& r_{2}: p_{2}: q_{2}=1.9531: 1.6846: 1 \\
& p_{0}^{\prime}=0.8631, q_{0}^{\prime}=0.5124, x_{0}{ }^{\prime}=0.0384
\end{aligned}
$$

| Forms |  | $\phi$ | $\rho$ | $\phi_{2}$ | $\rho_{2}=B$ | $C$ | $A$ |
| :--- | :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| $c$ | 001 | $90^{\circ} 00^{\prime}$ | $2^{\circ} 12^{\prime}$ | $87^{\circ} 48^{\prime}$ | $90^{\circ} 00^{\prime}$ | $0^{\circ} 00^{\prime}$ | $87^{\circ} 48^{\prime}$ |
| $b$ | 010 | 000 | 9000 | 9000 | 000 | 9000 | 9000 |
| $a$ | 100 | 9000 | 9000 | 000 | 9000 | 8748 | 000 |
|  |  |  |  |  |  |  |  |
| $k$ | 120 | 40 | $06 \frac{1}{2}$ | 9000 | 000 | $4006 \frac{1}{2}$ | 8835 |
| $m$ | 110 | 5918 | 9000 | 000 | 5918 | $8806 \frac{1}{2}$ | $4953 \frac{1}{2}$ |
| $n$ | 210 | 7328 | 9000 | 000 | 7328 | $8753 \frac{1}{2}$ | 1632 |
|  |  |  |  |  |  |  |  |
| $h$ | 012 | $831 \frac{1}{2}$ | $1431 \frac{1}{2}$ | 8748 | $7538 \frac{1}{2}$ | $1421 \frac{1}{2}$ | 8752 |
| $e$ | 101 | -9000 | 3931 | -5029 | 9000 | 4143 | 12931 |
| $p$ | 111 | 6023 | $4602 \frac{1}{2}$ | 4758 | 6910 | 4408 | $5135 \frac{1}{2}$ |
|  |  |  |  |  |  |  |  |
| $q$ | $\overline{1} 13$ | -5535 | 1649 | -7600 | $8035 \frac{1}{2}$ | 1840 | $10348 \frac{1}{2}$ |
| $o$ | $\overline{1} 11$ | -5809 | $4409 \frac{1}{2}$ | -5029 | 6826 | 4602 | $12616 \frac{1}{2}$ |
| $r$ | 121 | $4120 \frac{1}{2}$ | $5346 \frac{1}{2}$ | 4758 | $5243 \frac{1}{2}$ | 5220 | $5748 \frac{1}{2}$ |
| $s$ | $\overline{1} 21$ | $-3849 \frac{1}{2}$ | $5245 \frac{1}{2}$ | -5029 | 5140 | $5409 \frac{1}{2}$ | $11956 \frac{1}{2}$ |
| $t$ | $\overline{1} 31$ | -2813 | $6010 \frac{1}{2}$ | -5029 | $4008 \frac{1}{2}$ | 6114 | 11413 |

main thin plates, with brilliant facets on their edges. The plates reach a maximum diameter of about 4 mm .; many are much smaller and they are all very thin. They are perfectly transparent and of a green color, deep green in the thicker tablets, yellow-green in the thinner ones.

The monoclinic character is not at first apparent, since most of the crystals show under the lens a pseudo-orthorhombic symmetry, illustrated in figure 1. Measurement of the crystals, however, reveals a distribution of forms which, as exhibited in the stereographic projection, figure 6 , establishes their monoclinic symmetry. Fourteen crystals were measured with the results shown in table 1. The choice of the vertical zone was determined by the invariable presence of a pair of faces of perfect quality at right angles to the dominant pinacoid (010). This was selected as the orthopinacoid (100). A face, generally small but of good average quality, was found to lie in the orthodome zone at an angle of $87^{\circ} 45^{\prime}$ to the
orthopinacoid and, when this was taken as the basal pinacoid, the other forms present gave a symmetrical distribution about the vertical axis. Besides these pinacoidal forms only two others are prominently developed. These are pyramids giving excellent measurements which lead to the symbols (121) and (131). The elements were calculated from these five forms, and from these elements were derived the angles in table 2.

As shown in table 3, the agreement of the calculated and measured position angles for the principal forms is highly satisfactory.

Table 3
Lindgrenite. Calculated and Measured Angles

| Forms |  | Calculated |  | Measured |  | Faces | Crystals |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | $\phi$ | $\rho$ | $\phi$ | $p$ |  |  |
| $c$ | 001 | $90^{\circ} 00^{\prime}$ | $2^{\circ} 12^{\prime}$ | $90^{\circ} 00^{\prime}$ | $2^{\circ} 15^{\prime}$ | 8 | 8 |
| $b$ | 010 | 000 | 9000 | 000 | 9000 | 28 | 14 |
| $a$ | 100 | 9000 | 9000 | 9000 | 9000 | 28 | 14 |
| $r$ | 121 | 4120 | $5346 \frac{1}{2}$ | 4118 | $5347 \frac{1}{2}$ | 22 | 12 |
| $l$ | 121 | -28 13 | $6010 \frac{1}{2}$ | -28 $13 \frac{1}{2}$ | 6010 | 15 | 9 |

For the other forms, most of which were developed either as very narrow line faces or as minute dots, the measurements were less satisfactory; in general, however, they are in good agreement with the calculated angles. The variation from the mean of all measured angles for each form is shown in table 1.

The range of habit is shown in the figures. A tabular habit parallel to (010) is predominant, and generally there is an elongation more or less pronounced in the direction of the vertical axis. Doubly terminated crystals, as shown in figures 2 and 3, are rare; for the most part the crystals are attached to the cavity walls by a surface normal to the vertical axis. The very smallest crystals are slender needles of square cross section, and these often show a pronounced monoclinic termination as illustrated in figure 4. Another feature revealing monoclinic symmetry is a striation, generally visible on the clinopinacoid, which is parallel to the edge of the negative pyramid. This striation sometimes merges into a gentle curved surface inclined to the pinacoid but a few degrees


Figs. 1-5. Crystals of lindgrenite.
and regarded as a vicinal development of that form. One measurement yielded the symbol ( $\overline{\mathbf{1}} .21 .1$ ).
(1.21.1) measured $-4^{\circ} 22^{\prime}$
$\rho$
calculated-423
$84^{\circ} 41^{\prime}$
8442

The prism zone, except for the two pinacoids $b$ and $a$, is very weakly developed. The three prism forms listed were observed on but few crystals and always as line faces.

The clinodome $h(012)$ generally accompanies the base $c$, but on one or two crystals replaces that form and on others is lacking.

The orthodome $e(\overline{1} 01)$ and the pyramids $o(\overline{1} 11)$ and $s(\overline{1} 21)$ form a zone of line faces between the two faces of the dominant negative pyramid $t(\overline{1} 31)$. None of them is prominent on the crystals.

Similarly the positive pyramid $p(111)$ is a weak line form beveling the edge between two faces of the strong form $r(121)$.


Fig. 6. Stereographic projection of the forms of lindgrenite.

The negative pyramid $q(\overline{1} 13)$ was found on several crystals with distinct faces but so minute as to give poor measurements.

It was found that either $r(121)$ or $t(\overline{1} 31)$ may be present without the other and, unless the striation above mentioned parallel to the edge of $t$ was visible, it is impossible without measurement to distinguish them. Either one gives rise occasionally to a pronounced monoclinic development of the plates as shown in figures 3 and 5 . The crystal drawings are the work of Dr. M. A. Peacock.

Table 4 gives the combinations seen on the measured crystals. Twinning was not observed.
$X$-Ray Measurements:--The dimensions of the structure cell were determined by Mr. Berman. Weissenberg photographs of the

Table 4
Lindgrenite. Combinations or Forms

|  | $c$ | $b$ | $a$ | $k$ | $m$ | $n$ | $h$ | $e$ | $p$ | $q$ | $o$ | $r$ | $s$ | $t$ |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | x | x | x | - | - | - | - | - | - | - | x | x | - | x |  |
| 2 | x | x | x | - | - | - | - | - | x | - | x | x | - | x |  |
| 3 | x | x | x | - | - | - | x | - | x | x | x | x | - | x | fig. 1 |
| 4 | x | x | x | - | - | x | - | - | - | - | - | x | - | - |  |
| 5 | - | x | x | - | - | - | - | - | - | - | - | x | - | x | fig. 2 |
| 6 | x | x | x | x | - | x | - | - | - | x | - | x | - | x |  |
| 7 | x | x | x | - | - | - | x | - | - | x | x | x | - | x |  |
| 8 | - | x | x | - | x | - | - | x | - | x | - | x | - | x | fig. 3 |
| 9 | - | x | x | - | x | - | x | - | - | x | x | x | - | x |  |
| 10 | x | x | x | - | - | - | x | x | x | x | - | x | - | x |  |
| 11 | - | x | x | - | - | - | - | - | - | - | - | x | - | - | fig. 4 |
| 12 | - | x | x | - | - | - | x | - | - | x | x | x | - | x |  |
| 13 | x | x | x | - | - | - | - | - | x | - | x | x | x | x |  |
| 14 | - | x | x | - | - | - | - | - | - | - | - | x | - | x | fig. 5 |

zero layer line, with the $b$ - and $c$-axes as rotation axes, checked by three rotation photographs, gave the values:

$$
a_{0}=8.45 \AA, b_{0}=14.03 \AA, c_{0}=7.04 \AA ; \beta=92 \frac{1}{2}^{\circ} .
$$

The ratio of the cell sides:

$$
a_{0}: b_{0}: c_{0}=0.602: 1: 0.502 ; \beta=92 \frac{1}{2}^{\circ} .
$$

is in fair agreement with the more accurate, previously determined morphological axial ratio:

$$
a: b: c=0.5941: 1: 0.5124 ; \beta=92^{\circ} 12^{\prime}
$$

The $b$-axis zero layer line photcgraph shows conclusively that the morphological axial directions are also the most suitable for the structure lattice.

Physical and Optical Properties:- The cleavage of lindgrenite is perfect parallel to (010); very imperfect cleavages were observed parallel to (001) and (101). The hardness is $4 \frac{1}{2}$. The specific gravity is 4.26 , determined by the pycnometer (Gonyer) and by suspension in Clerici solution (Berman) with identical values. The color is green, ranging from bottle green to yellowish green according to the thickness of the plates. The optical properties were determined by immersion in melts by Mr. Bandy and checked by Professor Larsen. Better values, as given below, were obtained by Mr. Berman, using new liquids of unusually high refractive index.
$X: c$-axis $=7^{\circ}$ in the acute angle $\beta$.
$\mathrm{Z}=b$-axis
\(\left.\begin{array}{ll}\alpha=1.930 <br>
\beta=2.002 <br>

\gamma=2.020\end{array}\right\} \pm 0.003 \quad\)| Negative |
| :--- | :--- |
| $2 \mathrm{~V}=71^{\circ}$ |
| $r>i$ |

Chemical Composition:-A sample of about 1.5 grams was purified by eliminating quartz, as far as possible, with the magnet. The analysisas shown below yields the formula $2 \mathrm{CuMoO}_{4} \cdot \mathrm{Cu}(\mathrm{OH})_{2}$.

| Analysis of Lindgrenite by |  |  |  |
| :--- | :---: | :---: | :---: |
| F. A. Gonyer |  |  |  |
|  | 1 | 2 | 3 |
| CuO | 40.62 | 42.8 | 43.8 |
| MoO | 50.97 | 53.7 | 52.9 |
| $\mathrm{H}_{2} \mathrm{O}$ | 3.30 | 3.5 | 3.3 |
| $\mathrm{Fe}_{2} \mathrm{O}_{3}$ | 1.43 |  |  |
| Insoluble $\left(\mathrm{SiO}_{2}\right)$ | 3.34 |  |  |
|  | $\underline{99.66}$ | -100.0 | 100.0 |

1. Analysis of lindgrenite. The water was determined on a purer sample than was used for the remaining constituents.
2. Calculated to $100 \%$ after removal of $1.43 \%$ ferric oxide and $3.34 \%$ insoluble ( $\mathrm{SiO}_{2}$ ) considered as impurities.
3. Theoretical values for $2 \mathrm{CuMoO}_{4} \cdot \mathrm{Cu}(\mathrm{OH})_{2}$.

The molecular weight of the contents of the unit cell ( $M$ ) was determined by Mr. Berman from the formula, $M=V d / A$, where $V$ is the volume of the unit cell ( $834 \times 10^{-24}$ c.c. $)$, $d$ is the density ( $4.26 \mathrm{gm} . / \mathrm{c} . \mathrm{c}$.), $A$ is the reciprocal of Avogadro's number ( 1.65 $\left.\times 10^{-24}\right)$. Whence $M$ is 2154 . The following table gives, in terms of oxides, the number of atoms in the unit cell, obtained from $M$ and the found percentage weights of the oxides reduced to 100 per cent. ${ }^{1}$

|  | Per cent | Mol. ratio | $M \times$ mol. ratio $/ 100$ |
| :--- | :---: | :---: | :---: |
| CuO | 42.8 | 0.538 | 11.6 |
| $\mathrm{MoO}_{3}$ | 53.7 | 0.373 | 8.0 |
| $\mathrm{H}_{2} \mathrm{O}$ | 3.5 | 0.194 | 4.2 |

Assuming that the numbers in the last column represent the integers $12,8,4$, respectively, ${ }^{2}$ the composition of the unit cell is $12 \mathrm{CuO} \cdot 8 \mathrm{MoO}_{3} \cdot 4 \mathrm{H}_{2} \mathrm{O}$, or $4\left[2 \mathrm{CuMoO}_{4} \cdot \mathrm{Cu}(\mathrm{OH})_{2}\right]$, or better, $\mathrm{Cu}_{12}$ $\left(\mathrm{MoO}_{4}\right)_{8} \mathrm{H}_{8} \mathrm{O}_{8}$, which presupposes no definite arrangement beyond a very probable linking of each atcm of Mo with four atoms of $O$ in the acid radicle.

[^0]Lindgrenite is the first molybdate of copper as yet found as a mineral, and neither in form nor in composition can it be grouped with any known natural substance.

Pyrognostics:-Alone on charcoal lindgrenite melts easily, gives a strong reaction for copper when touched with HCl , and reduces to a copper bead. In the closed tube it darkens quickly, decrepitates slightly, giving a slight brownish coating on the wall of the tube near the assay, and melts. There is a fairly abundant deposit of neutral water. It is easily and completely soluble in both HCl and $\mathrm{HNO}_{3}$; the solution when boiled to dryness and again taken up with acid leaves an abundant heavy white residue of $\mathrm{MoO}_{3}$, insoluble on boiling; the nature of this residue was first established by a spectrogram for which I am indebted to Dr. G. A. Harcourt.

The author takes great pleasure in designating this well-defined mineral lindgrenite in honor of Professor Waldemar Lindgren. His great contributions to the knowledge of the mineralogy of the ore deposits and their paragenesis makes it peculiarly fitting that his name should appear in the special literature of mineralogy.


[^0]:    ${ }^{1}$ F. A. Bannister and M. H. Hey, Mineral. Mag., vol. 22, p. 575, 1931.
    ${ }^{2}$ The differences are due to the combined errors in the determination of the cell dimensions, density and chemical composition.

